

$$k = 0, \frac{N}{2}, i, \frac{N}{2}, N$$

$$f_k = \cos 2\pi k t$$

$$c_k = \cos 2\pi k t$$

$$\delta_k = f_k \cdot C_k$$

$$\mathcal{M}_{\text{out}}(k, \delta_k) \quad a \times 15 \begin{bmatrix} 0 & \hat{s} & i+1 \end{bmatrix}$$

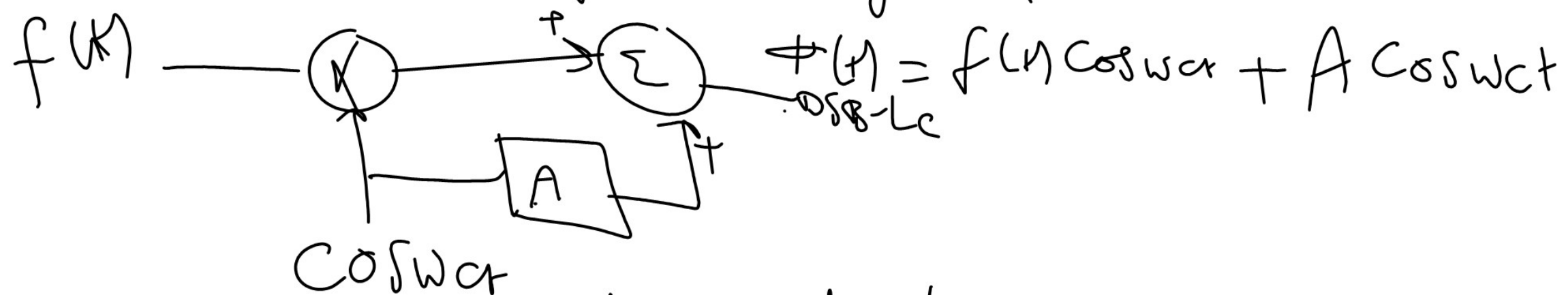
$$F\delta_k = \text{fft}(\delta_k)$$

$$\dots \sigma_1 = \text{fft}_{\text{shift}}(\text{length}(\delta_k))$$

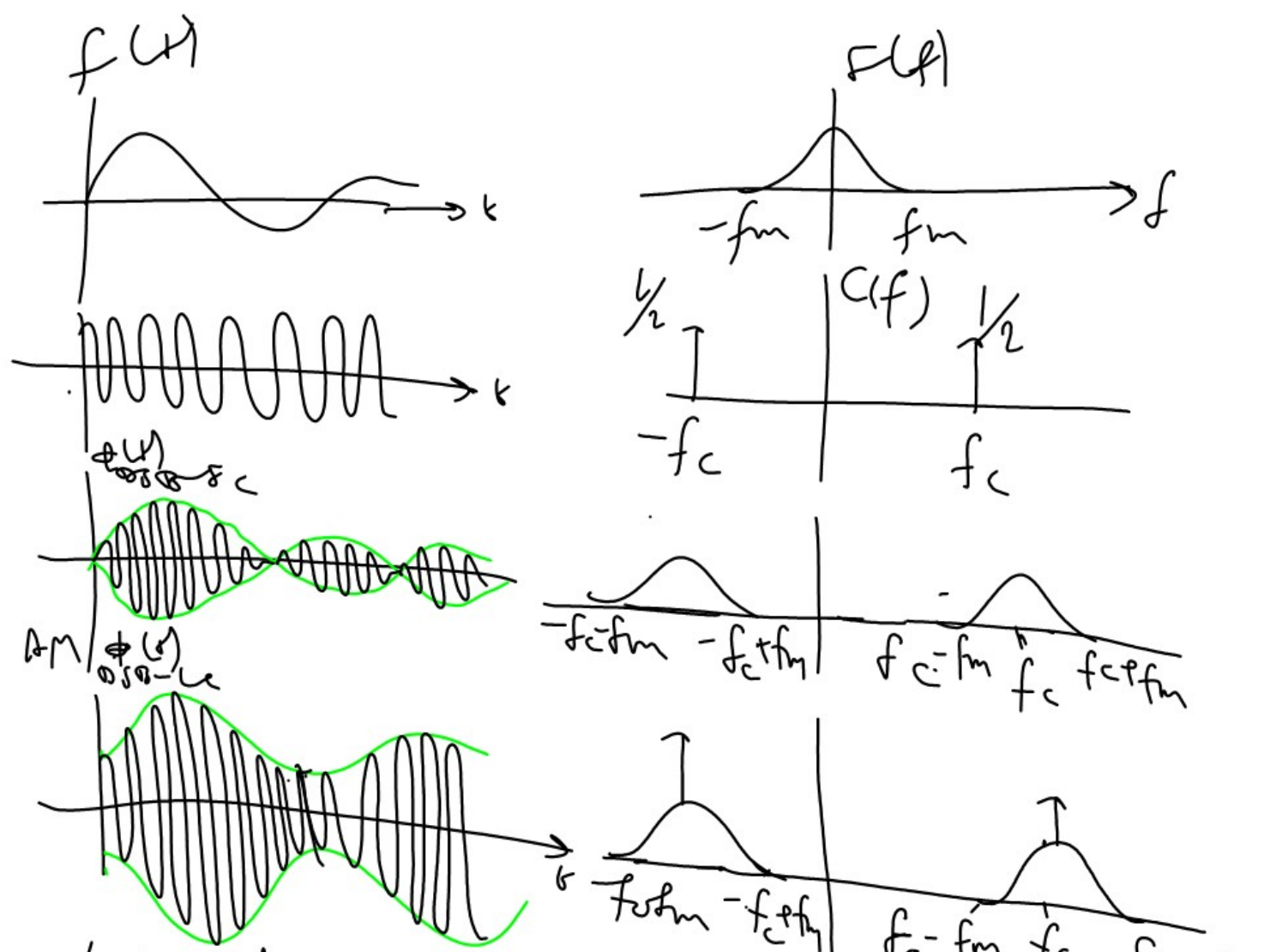
5.2 Amplitude modulation

Large Carrier (AM)

- * In Large Carrier modulation we simply multiply the message signal $f(t)$ by the carrier then we add the carrier to the modulated signal as shown by the following block diagram



- * If we analyze the Large Carrier modulated signal in both time and frequency domains we may have have the following diagrams

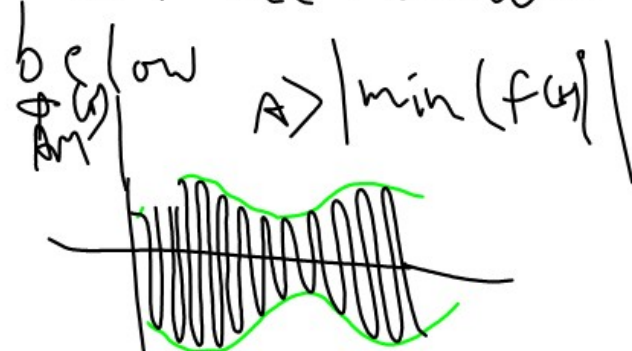


Note that the equation for the DSB-LC is given $\phi(t) = f(t) \cos \omega_c t + A \cos \omega_c t$

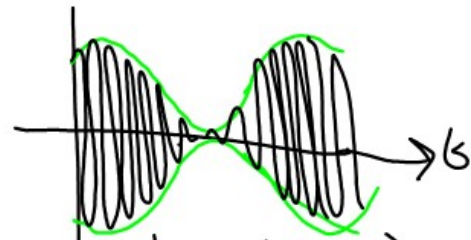
$$= A \left(1 + \frac{f(t)}{A} \right) \cos \omega_c t$$

* We have three for the AM modulation based on the ratio of $\frac{f(t)}{A}$

* The first case If $A > |\min(f(t))|$
 then the modulated signal is shown below



* The second case If $A = |\min(f(t))|$



* The Third case when $A < |\min(f(t))|$
 then the modulated signal is shown below

