

Ex given fm transmitter is modulated with a single sinusoid whose frequency is 4kHz. The output of no modulation is 100Watt across a 50Ω resistive load.

The peak frequency deviation of the transmitter is carefully increased from zero until the first side band in the resulting amplitude spectrum is zero.

- The peak amplitude of the total wave form
- The peak amplitude of the upper second order side band

Solution

$$a) P_c = \frac{A^2}{2R}$$

$$100 = \frac{A^2}{2(50)} \Rightarrow A = 100 \text{ Volt}$$

$$b) \begin{matrix} & & A J_0(\beta) & & A J_2(\beta) \\ & & \uparrow & & \uparrow \\ & & A J_{-1}(\beta) & A J_1(\beta) & A J_3(\beta) \end{matrix}$$

From the table of Bessel function we can find that $\beta \approx 3.8$

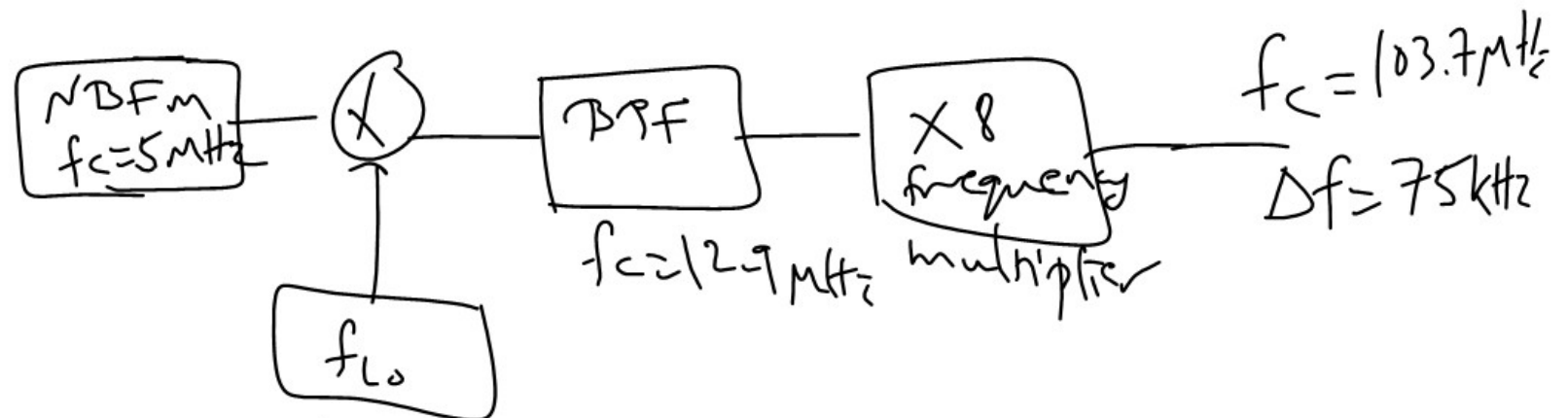
Now the amplitude of the second upper side band is given by $A J_2(\beta)$

from the Bessel table, we have

$$J_2(3.8) = 0.41$$

$$\therefore 100(0.41) = 41 \text{ Volt.}$$

Ex 2 An FM transmitter has the block diagram shown below



a) Find the bandwidth and the center frequency for the bandpass filter

b) determine the value of f_{Lo} !

c) What is the required peak deviation of the NBFM

Solution

a) The center frequency of the BPF is

$$f_{c, BPF} = \frac{103.7 \text{ MHz}}{8} = 12.9 \text{ MHz}$$

The B.W of the filter can be determined from Carson's rule which is

$$BW = 2f_m + 2\Delta f$$

$$\text{assume } f_m = 15 \text{ kHz}$$

$$\therefore BW = 2(15) + 2\left(\frac{75}{8}\right) \approx 48.25 \text{ kHz}$$

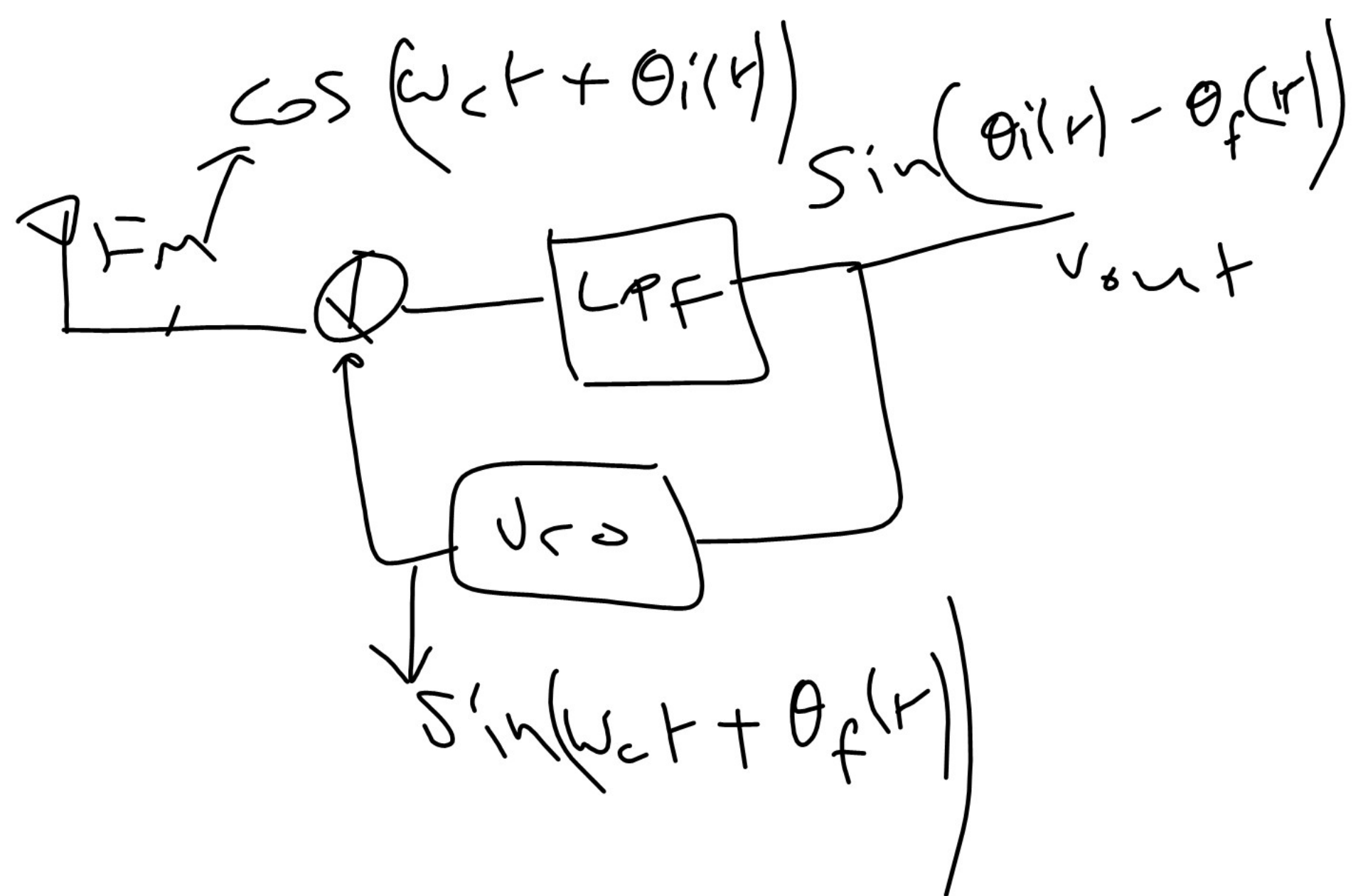
b) The local oscillator frequency can be found by using one of these equations

$$f_{Lo} + 5 \text{ MHz} = 12.9 \text{ MHz} \Rightarrow 7.9 \text{ MHz}$$

$$f_{Lo} - 5 \text{ MHz} = 12.9 \text{ MHz} \Rightarrow 17.9 \text{ MHz}$$

c) The peak frequency deviation of the NBFM block can be found from

$$\Delta f_{NBFM} = \frac{\Delta f_{WBFM}}{8} = \frac{75}{8} = 9.375 \text{ kHz}$$



Ex Consider a speech signal whose maximum frequency content is 4 kHz. Sampled at the Nyquist rate.

If each sample is quantized using 256 levels determine

- Sampling rate
- The number of bits per second
- If we record 10 minutes of this speech signal on a hard drive. determine the size occupied by this signal on the hard drive

Solution

$$a) f_s = f_{Nyquist} = 2 f_m$$

$$= 2(4 \text{ kHz}) = 8 \text{ kHz}$$

$$b) \text{ no of bits for each sample is } n = \log_2 256 = 8$$

$$\text{no of bits per second} = n \times f_s$$

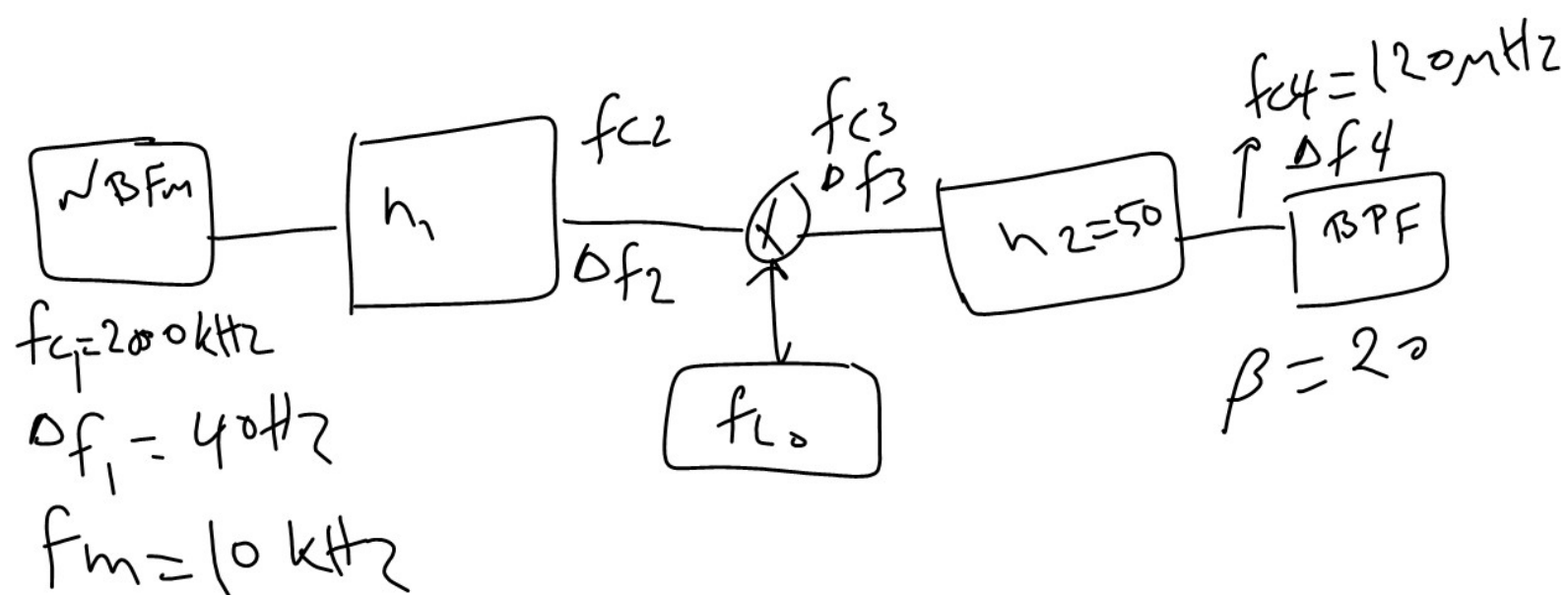
$$= 8 \times 8 \text{ kHz} = 64 \text{ kbits/s}$$

c) The required disk space for 10 minutes recording is given by

$$BW = \frac{R_b}{T_b} = 64 \text{ kbit/s} \times (10 \times 60) \text{ s}$$



Simulating in water



Solution

$$f_{c3} = \frac{f_{c4}}{n_2} = \frac{120 \text{ MHz}}{50} = 2.4 \text{ MHz}$$

$$\begin{aligned} \Delta f_4 &= \beta f_m \\ &= 20 (10 \text{ kHz}) = 200 \text{ kHz} \end{aligned}$$

$$\Delta f_3 = \frac{\Delta f_4}{n_2} = \frac{200 \text{ kHz}}{50} = 4 \text{ kHz}$$

$$\Delta f_2 = \Delta f_3 = 4 \text{ kHz}$$

Note that

$$\Delta f_2 = n_1 \Delta f_1 \Rightarrow n_1 = \frac{\Delta f_2}{\Delta f_1} = \frac{4 \text{ kHz}}{40} = 100$$

$$\begin{aligned} f_{c2} &= n_1 f_{c1} \\ &= 100 (200 \text{ kHz}) = 20 \text{ MHz} \end{aligned}$$

$$f_{L0} + f_{c2} = f_{c3} \Rightarrow f_{L0} = 2.4 \text{ MHz} - 20 \text{ MHz} = 17.4 \text{ MHz}$$

$$\begin{aligned} f_{L0} - f_{c2} = f_{c3} &\Rightarrow f_{L0} = f_{c3} + f_{c2} \\ &= 2.4 + 20 = 22.4 \text{ MHz} \end{aligned}$$